

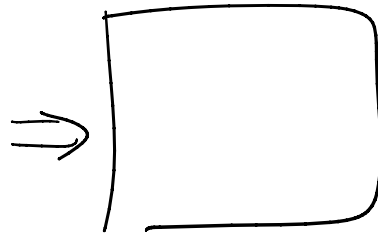
- Ocaml vs. Haskell vs. Scala

↓
Eager
evaluation

↓
Lazy
evaluation

↓
JVM

- First-class fns
- Static types
- ...



↓
Easy to fall
into the trap
of using Scala
to transcribe Java
code

Statics

How is the program
compiled.

Dynamics

How does the program
execute?

Basic
types

Type
checking

Type inference

Generics
Parametric
Polymorphism

Name resolution

Let bindings

Eval
order

Basic types: int float char

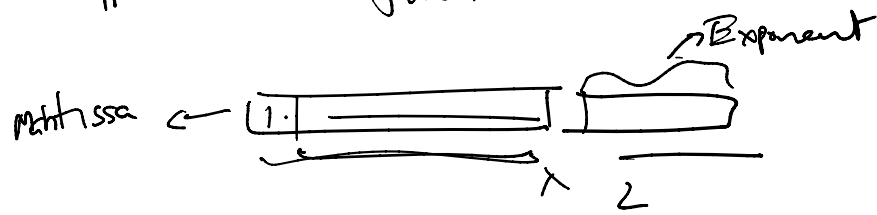
...

Basic types: int float

char

string

bool



Short circuit evaluation $\left(\begin{array}{l} \frac{e_1}{\uparrow} \ \&\& \ \frac{e_2}{} \end{array} \right) \Leftrightarrow \begin{array}{l} \text{if } (e_1) \text{ then } e_2 \\ \text{else false} \end{array}$

$e_1 \ \|\ e_2 \Leftrightarrow \begin{array}{l} \text{if } (e_1) \text{ then true} \\ \text{else } e_2 \end{array}$

Unit \longleftrightarrow Nothing (Scala)
 type with 1 value type with 0 values

Lists tuples
 - Fixed size

Functions let $f \ x = x + 1$

-fun $x \rightarrow x + 1$

SKI combinator $(\lambda x \rightarrow x + 1, \text{Haskell})$

SKI combinator
calculus

($\lambda x \rightarrow x+1$, Haskell)

($\lambda x . x+1$, Lambda
calculus)

Type checking

-foo $e_1 e_2$

① Find type of foo

② Find type of e_1 T_1

③ Find type of e_2 T_2

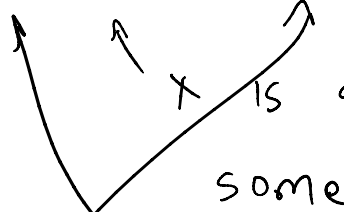
④ Confirm that $\text{foo} : T_1 \rightarrow T_2 \rightarrow T_3$

⑤ The whole expression then has type T_3

Let expressions

Type inference

let $f \ x = x ;$


x is a variable. It must have
some type 'a'

~~some type 'a~~
f is a function. It takes x
as input. So it must have
type 'a \rightarrow 'b, for some 'b.
f x returns x as output.
So 'b = 'a

x : 'a f : 'a \rightarrow 'a

How to evaluate "things"

Ground values: 3, true, [1; 2; 8] etc.

Do nothing

Let expressions:

let x = e₁ in e₂

① Evaluate e₁. say it produces v₁.

① Evaluate e_1 . Say it produces v_1 .

② In e_2 , replace all unshadowed occurrences of x with v_1 (say e_2')

③ Evaluate e_2' .

If expressions

if e_1 then e_2 else e_3

① Evaluate e_1 . Say result is v_1 .

Type checker guarantees that v_1 is a bool.

So $v_1 = \text{true}$ or $v_1 = \text{false}$.

② If $v_1 = \text{true}$, then evaluate e_2 . Say v_2 .

Return v_2

③ Otherwise evaluate e_3 . Say v_3 .

Return v_3 .

Function definitions :

fun $x \rightarrow x + 5$

Do nothing

Do nothing

Function calls (Eager)

e_1 e_2

Alternative approach

lazy: Evaluate e_1 first.

Evaluate e_2 when needed, if needed (Haskell)

① Finish evaluating e_1 into v_1 & e_2 into v_2

② The type checker has guaranteed that v_1 is a function which can take v_2 as input.

③ Say that $v_1 = \text{fun } x \rightarrow \frac{e_3}{\text{unshadowed}}$
In e_3 , replace all unshadowed occurrences of x with v_2 . Say e_3'

④ Evaluate e_3'

((...) (...))

$(\text{fun } x \rightarrow x + 3) \quad (3 + 4)$

$\Rightarrow (\text{fun } \underline{x} \rightarrow x + 3) \quad 7$

$\Rightarrow 7 + 3$

$\Rightarrow 10$

Q: Can you define if-then-else as a function?

if e_1 then e_2 else e_3

ite $e_1 \ e_2 \ e_3$

In Ocaml

let ite $e_1 \ e_2 \ e_3 = \text{if } e_1 \text{ then } e_2 \text{ else } e_3$

ite true (3+4) ~~crash~~ \Rightarrow ite true 7 ~~crash~~

In Haskell

ite true (3+4) crash

\Rightarrow if true then (3+4) else crash

\Rightarrow 3+4

\Rightarrow 7

Let expressions vs. function calls

let $x = e_1$ in e_2 \iff

$(\text{fun } x \rightarrow \underline{e_2}) (e_1)$